

Gastvortrag

Montag, 18. November 2019 Uhrzeit: 13:00 Uhr Seminarraum I

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Solving a quartic Thue equation by using Tzanakis's method

Abstract:

Let $\mu \neq 0$ be integer. A Thue equation

$$f(x,y) = \mu \neq 0$$

where f(x,y) is irreductible of the form $a_0x^4+4a_1x^3y+6a_2x^2y^2+4a_3xy^3+a_4y^4\in\mathbb{Z}[x,y], a_0>0$ is called quartic Thue equation. Tzanakis, in 1993 gave a powerful algorithm under some assumptions to transform the quartic Thue equation to a system of pellian equations. It is used by several authors to solve quartic Thue equations [1], [4], [3] and so on.

We consider the Thue equation

$$x^4 - ax^3y + bx^2y^2 + axy^3 + y^4 = \mu \tag{1}$$

We look its Tzanakis's method and we obtained the form of integers a and b with some conditions. We studied the solution when $\mu = 1$ [2].

This is a joint work with Bo He (China West Normal University) and Alain Togbe (Purdue University Northwest, Westville USA).